

ΣM	0	0	0	γ_3	$-\gamma_2$	$-\delta \cos \theta_F \chi_F M_F$	0
0	ΣM	0	$-\gamma_3$	0	γ_1	$\chi_F M_F$	$-\rho_D M_D$
0	0	ΣM	γ_2	$-\gamma_1$	0	0	$-\phi_D \rho_D M_D$
$\delta \cos \theta_F \sin \theta_F \chi_F'' M_F$	$-\gamma_R M_R - (\gamma_D \rho_D) M_D$	$\delta \cos^2 \theta_F \chi_F'' M_F$	$I_{RX} + \gamma_R^2 M_R + \gamma_D (\gamma_D - \rho_D) M_D$	$\delta (I_{FX}'' - I_{FY}'' - \chi_F''^2 M_F)$	$-I_{RXZ} - \gamma_R \gamma_R M_R - \gamma_D (\gamma_D - \rho_D) M_D$	$-\cos \theta_F I_{FXZ}''$	$\rho_D (\gamma_D - \rho_D) M_D$
			$+ \cos^2 \theta_F I_{FX}'' - \cos \theta_F \sin \theta_F I_{FXZ}''$		$-\cos \theta_F \sin \theta_F I_{FX}'' - \cos^2 \theta_F I_{FXZ}''$		
			$+ \cos \theta_F \gamma_F'' \gamma_F M_F$		$-\cos \theta_F \chi_F'' \gamma_F'' M_F$		
γ_3	0	$-\gamma_1$	$\delta \{ \cos \theta_F (I_{FX}'' - I_{FY}'') - \sin \theta_F I_{FXZ}'' \}$	$I_{FY}'' + (\chi_F^2 + \gamma_F^2) M_F + I_{DY}$	$\delta \{ \sin \theta_F (I_{FY}'' - I_{FX}'') - \cos \theta_F I_{FXZ}'' \}$	$-\delta \{ I_{FXZ}'' + (\sin^2 \theta_F \chi_F^2) \}$	$\phi_D I_{DXZ}$
			$-\chi_F'' \chi_F M_F + \phi_D \{ I_{DXZ} + \rho_D \chi_D M_D \}$	$+ (\chi_D^2 + \gamma_D^2) M_D + I_{RY} + (\gamma_R^2 + \gamma_D^2) M_R$	$+ \chi_F'' \gamma_F M_F + \phi_D \{ I_{DY} - I_{DZ} + \rho_D \gamma_D M_D \}$	$-\cos \theta_F \sin \theta_F (\chi_F^2)$	$-\phi_D \rho_D \chi_D M_D$
			$-I_{RXZ} - \gamma_R \gamma_R M_R - I_{DXZ}$	$\phi_D (I_{DY} - I_{DZ} + \rho_D \gamma_D M_D)$	$I_{RZ} + \gamma_R^2 M_R + I_{DZ} + \chi_D^2 M_D$	$\sin \theta_F I_{FXZ}''$	$-I_{DXZ}$
			$-\gamma_D \gamma_D M_D - \sin \theta_F \{ \cos \theta_F I_{FX}'' \}$	$-\sin \theta_F (I_{FX}'' - I_{FY}'' - \chi_F''^2 M_F)$	$+ \sin \theta_F (\sin \theta_F I_{FX}'' + \cos \theta_F I_{FXZ}'')$	$+ \sin \theta_F \chi_F'' \gamma_F'' M_F$	$-\rho_D \chi_D M_D$
			$-\sin \theta_F I_{FXZ}'' + \gamma_F'' \gamma_F M_F$				
			$\delta \sin \theta_F \chi_F'' M_F$	$\sin \theta_F I_{FZ}'' - \cos \theta_F I_{FXZ}'' - \chi_F'' \gamma_F M_F$	$-\delta (I_{FXZ}'' + \chi_F'' \gamma_F M_F)$	$\cos \theta_F I_{FZ}'' + \chi_F'' \chi_F M_F$	0
						$+ \sin \theta_F I_{FXZ}''$	
0	$-\rho_D M_D$	$-\phi_D \rho_D M_D$	$I_{DX} + \rho_D \gamma_D M_D$	$\phi_D (I_{DXZ} + \rho_D \chi_D M_D)$	$-I_{DXZ} - \rho_D \chi_D M_D$	0	$I_{DX} + \rho_D^2 M_D$

\dot{u}_0	$\gamma_{11} + \gamma_{12} + \gamma_{13} + F_{XTR} + F_{XTF}$
\dot{v}_0	$\gamma_{21} + \gamma_{22} + \gamma_{23} + F_{YTR} + F_{YTF}$
\dot{w}_0	$\gamma_{31} + \gamma_{32} + \gamma_{33} + F_{ZTR} + F_{ZTF}$
\dot{p}	$p \{ I_{RXZ} + \gamma_R (I_{RY} - I_{RZ}) - \gamma_R \gamma_{21} - (\gamma_D - \rho_D) \gamma_{23} + \rho \omega_R I_{WR} - \cos \theta_F \{ \delta p r \{ \cos^2 \theta_F - \sin^2 \theta_F \} \{ I_{FY}'' - I_{FX}'' \} + \delta \cos \theta_F \sin \theta_F \{ (p^2 - r^2) (I_{FY}'' - I_{FX}'') - 2pr I_{FXZ}'' \} + \{ \cos \theta_F p - \sin \theta_F r \} \{ \delta \delta (I_{FY}'' - I_{FX}'') - \gamma I_{FXZ}'' \} + \{ \sin \theta_F p + \cos \theta_F r \} \{ \gamma (I_{FZ}'' - I_{FY}'') + 2\delta \delta I_{FXZ}'' \} + \gamma \delta \{ I_{FZ}'' - I_{FY}'' \} + \{ \sin^2 \theta_F p^2 + \cos^2 \theta_F r^2 - \dot{\gamma}^2 + \dot{\delta}^2 \} \delta I_{FXZ}'' - \{ \sin \theta_F p + \cos \theta_F r + \delta \} \omega_F I_{WF} - \sin \theta_F \delta \chi_F'' \gamma_{12} + \gamma_F'' \gamma_{22} - \cos \theta_F \delta \chi_F'' \gamma_{32} \}$
\dot{q}	$-\{ h_0 + \sin \theta_F e \} F_{YTF} - h_0 F_{YTR} + \cos^2 \theta_F \delta e F_{ZTF} - \sin \theta_F N_{ZF}''$
\dot{r}	$-(p^2 - r^2) I_{RXZ} - pr (I_{RX} - I_{RZ}) - \{ (p + \phi_D)^2 + \phi_D \gamma r - r^2 \} I_{DXZ} - r (p + \phi_D) (I_{DX} - I_{DZ}) + \phi_D \gamma (p + \phi_D) (I_{DY} - I_{DZ}) - \{ \cos^2 \theta_F - \sin^2 \theta_F \} \{ pr (I_{FX}'' - I_{FZ}'') + (p^2 - r^2) I_{FXZ}'' \} - \{ \cos \theta_F \sin \theta_F \} \{ (p^2 - r^2) (I_{FX}'' - I_{FZ}'') - 4pr I_{FXZ}'' \} - \{ \cos \theta_F p - \sin \theta_F r \} \{ \delta (I_{FX}'' - I_{FZ}'') + \delta \gamma I_{FXZ}'' \} - \{ \sin \theta_F p + \cos \theta_F r \} \{ \delta \gamma (I_{FX}'' - I_{FY}'') - 2\delta I_{FXZ}'' \} - \delta \{ \delta \gamma (I_{FX}'' - I_{FY}'') - \delta I_{FXZ}'' \} + \{ \sin \theta_F p + \cos \theta_F r + \delta \} \delta \omega_F I_{WF} + \gamma_R \gamma_{11} + \gamma_F \gamma_{12} + \gamma_D \gamma_{13} - \gamma_R \gamma_{31} - \gamma_F \gamma_{32} - \gamma_D \gamma_{33} + h_0 (F_{XTR} + F_{XTF}) - h_0 (F_{ZTR} - \chi_F F_{ZTF})$
$\dot{\delta}$	$p \gamma (I_{RX} - I_{RY}) - \gamma r I_{RXZ} + \gamma (p + \phi_D) (I_{DX} - I_{DY}) - \phi_D r (p + \phi_D) (I_{DY} - I_{DZ}) - \{ \gamma r + \phi_D (p + \phi_D)^2 - \phi_D \gamma^2 \} I_{DXZ} + \sin \theta_F \{ \delta pr \{ \cos^2 \theta_F - \sin^2 \theta_F \} \{ I_{FY}'' - I_{FX}'' \} + \{ \delta \cos \theta_F \sin \theta_F \} \{ (p^2 - r^2) (I_{FY}'' - I_{FX}'') - 2pr I_{FXZ}'' \} + \{ \cos \theta_F p - \sin \theta_F r \} \{ \delta \delta (I_{FY}'' - I_{FX}'') - \gamma I_{FXZ}'' \} + \{ \sin \theta_F p + \cos \theta_F r \} \{ \gamma (I_{FZ}'' - I_{FY}'') - 2\delta \delta I_{FXZ}'' \} + \gamma \delta \{ I_{FZ}'' - I_{FY}'' \} + \{ \sin^2 \theta_F p^2 + \cos^2 \theta_F r^2 - \dot{\gamma}^2 + \dot{\delta}^2 \} \delta I_{FXZ}'' - \{ \sin \theta_F p + \cos \theta_F r + \delta \} \omega_F I_{WF} - \sin \theta_F \delta \chi_F'' \gamma_{12} + \gamma_F'' \gamma_{22} - \cos \theta_F \delta \chi_F'' \gamma_{32} \}$
$\ddot{\delta}$	$-\rho \omega_R I_{WR} + \gamma_D \gamma_{23} + \gamma_R \gamma_{21} + \phi_D \rho_D \gamma_{13} + \gamma_R F_{YTR} - \tan \theta_F \{ h_0 + \sin \theta_F e \} F_{YTF} + \sin^2 \theta_F \delta e F_{XTF} + \sin \theta_F \cos \theta_F \delta e F_{ZTF} + \cos \theta_F N_{ZF}''$
$\ddot{\phi}_D$	$\{ -\delta \cos \theta_F p + \gamma + \delta \sin \theta_F r \} \{ (\sin \theta_F p + \cos \theta_F r + \delta) I_{FXZ}'' - (\cos \theta_F p + \delta \gamma - \sin \theta_F r) (I_{FX}'' - I_{FY}'') \} - (\cos \theta_F p + \delta \gamma - \sin \theta_F r) \omega_F I_{WF} - \delta \cos \theta_F \chi_F'' \gamma_{12} + \chi_F'' \gamma_{22} + \delta \sin \theta_F \chi_F'' \gamma_{32} + e F_{YTF} + N_{ZF}''$
	$(\gamma + \phi_D r) (p + \phi_D) I_{DXZ} + (\gamma r - \phi_D \gamma^2 - r^2) (I_{DY} - I_{DZ}) - \rho_D \gamma_{23} - \phi_D \rho_D \gamma_{33} + N_{XD}$